Small area estimation of district-level fertility in sub-Saharan Africa

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Introduction

- District level estimates of fertility desired for:
 - Improved population projections at subnational levels
 - Estimation of children living with HIV
 - Key epidemic indicator
 - Resource allocation for prevention of mother-to-child transmission
 - Evaluation of family planning programamtic scaleup

Objective Estimate annual age-specific fertility rates at district level for SSA countries from household survey data

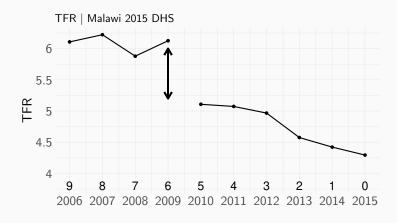
Data sources | Malawi

- Household surveys with full birth histories
 - Demographic Health Surveys (2000, 2004, 2010, 2015)
 - Malaria Indicator Survey (2012, 2014, 2017)
 - Multiple Indicator Cluster Survey (2006, 2013)
- Full birth history data:
 - DHS, MICS: 15 years
 - MIS: 5 years
- Summary birth histories from censuses to be included

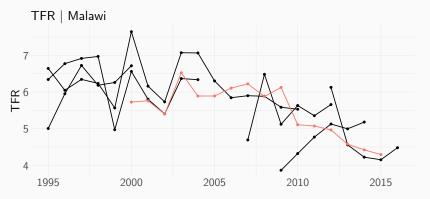
Challenges

- Non sampling biases
 - Displacing
 - Omitting
- Data available at different spatial resolutions
 - DHS: geomasked coordinates -> district
 - MICS: coordinates unavailable -> province

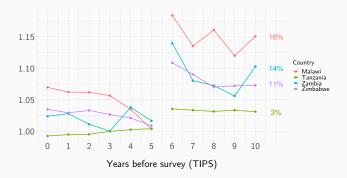
- DHS collects full birth histories for children in the 5 years preceding the survey, and an abbreviated question set thereafter
- Births are asked about "in the order in which they occured"



 Intersurvey analysis can estimate magnitude of bias due to overlap in recall periods (Masquelier, 2013; Schoumaker, 2014)



- Intersurvey analysis can estimate magnitude of bias due to overlap in recall periods (Masquelier, 2013; Schoumaker, 2014)
- $Y_{a,t,tips} = \mu + \alpha_a + \gamma_t + \beta_1 (TIPS > 5) + \omega_{tips}$



$$b_{ait} \sim \textit{Po}(\lambda_{ait}.E_{ait})$$

$$\textit{log}(\lambda_{ait}) = \mu + \alpha_{a} + \gamma_{t} + \delta_{i} + \eta_{a,t} + \eta_{a,i} + \eta_{i,t}$$

Average log fertility rate: $\mu \sim N(0,5)$

Age pattern:
$$\alpha_a \sim RW1(\sigma_\alpha^2)$$
 $a \in \{15 - 19, 20 - 24...45 - 49\}$

Time trend:
$$\gamma_t \sim RW2(\sigma_\gamma^2)$$
 $t \in \{1995 : 2020\}$

Spatial correlation:
$$\delta_i \sim BYM2(\sigma_\delta^2)$$
 $i \in \{1...n_i\}$

$$b_{ait} \sim Po(\lambda_{ait}.E_{ait})$$

$$log(\lambda_{ait}) = \mu + \alpha_a + \gamma_t + \delta_i + \eta_{a,t} + \eta_{a,i} + \eta_{i,t}$$

 $\eta_{\mathsf{a},\mathsf{t}}:\mathsf{AR}1\otimes\mathsf{AR}1$

 $\eta_{\mathsf{a},\mathsf{i}}:\mathsf{AR}1\otimes\mathsf{ICAR}$

 $\eta_{i,t}:ICAR\otimes AR1$

$$b_{ait} \sim \textit{Po}(\lambda_{ait}.E_{ait})$$

$$log(\lambda_{ait}) = \mu + \alpha_{a} + \gamma_{t} + \delta_{i} + \eta_{a,t} + \eta_{a,i} + \eta_{i,t}$$

Observation model

$$log(\tilde{b}_{ait}) = log(\lambda_{ait} \times E_{ait}) + \beta_1 TIPS_d + \omega_{TIPS}$$

$$TIPS_d = \begin{cases} 0, & \text{if TIPS} < 5 \\ 1, & \text{otherwise} \end{cases}$$

$$\omega_{tips} \sim RW1(\sigma_\omega^2)$$

$$tips \in \{0:14\}$$

$$b_{ait} \sim \textit{Po}(\lambda_{ait}.E_{ait})$$

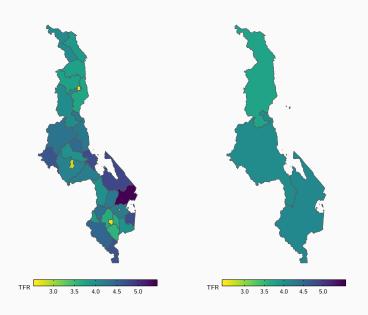
$$log(\lambda_{ait}) = \mu + \alpha_{a} + \gamma_{t} + \delta_{i} + \eta_{a,t} + \eta_{a,i} + \eta_{i,t}$$

Aggregation model

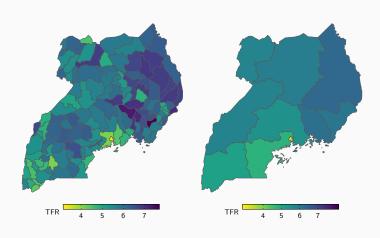
$$log(\tilde{b}_{at}) = \frac{\sum_{i} log(\lambda_{ait} \times E_{ait})}{E_{at}} + \beta_1 TIPS_d + \omega_{TIPS}$$

- Model fit in Template Model Builder (TMB)
- Countries take < 2 minutes to fit and sample

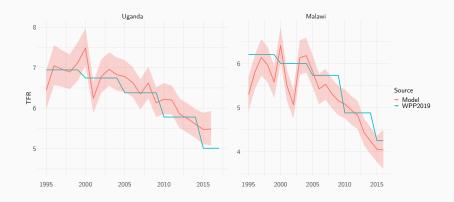
Results



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Discussion

- There exists district-level heterogeneity that is not captured by admin-1 estimates
- Non-sampling bias can lead to substantial distortion of fertility estimates in surveys
 - Role of bias adjustment depends on measure of fertility
- Can be adjusted for within automated analysis
- Consideration of further non-sampling bias
 - Displacement of first birth(s) at older ages

Future work

- Structured model for fertility transition and projection (Alkema, 2011; Sevkicova, 2012)
- Survey random effects & multi-country fitting
- Census data, additional country-specific surveys, summary birth histories

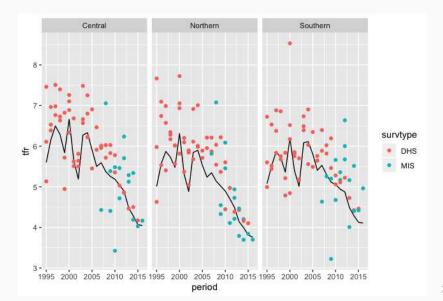
Many thanks

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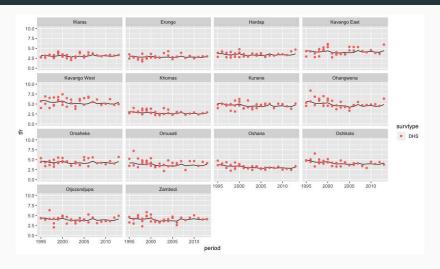


Figure 2: NAM admin-1

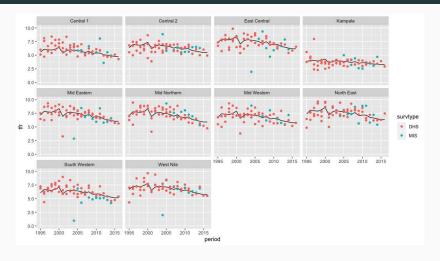


Figure 3: UGA admin-1

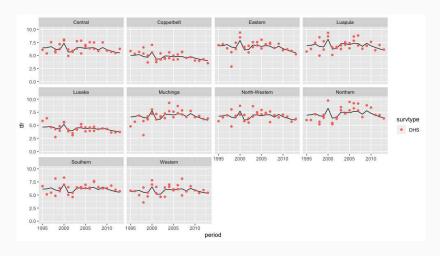


Figure 4: ZMB admin-1

